

Research Article

DETERMINATION OF RELATIVE NUMBERS BY USING COUPLE SYSTEMS AND ITS APPLICATION TO THE ATOMIC FIELDS AND QUARK COUPLING STRENGTH, TALLIED EXPERIMENT OF THE LHCb COLLABORATION, JULY 2015

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ABSTRACT

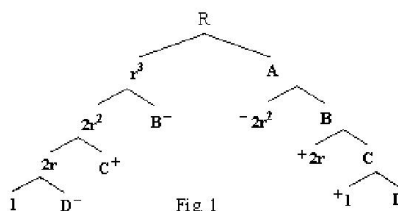
The couple system is important one to determine different types of numbers that we can call “Relative Numbers”. We discussed about this formation, though more process of couple system is require discussing. The application need of it’s to atomic field is interesting. In what way the number of electron, proton, neutron to be formed few examples are given here and listed relative numbers from Hydrogen, atomic number 1 to atomic number up to 118 that’s do not follow our traditional theories. But the results are tallying uniquely to present thinking. This new theory tells many expectations in atomic stages. We need to search more in this field, here we can give touch for truth of relations between one to another particle. As a result “Relative Number” occurred by coupling by interacting two numbers. Odd and even number both obeying couple system, but direction changes at the end of reaction. We already discussed about it in reference [Nirmalendu Das, 2015] and [Nirmalendu Das, 2015]. Though need to give touch here understanding about this subject. This formation is applicable to particle stages also. As per reference [doi: 10.1038/nphys3415 Received 08 April 2015 Accepted 25 June 2015 Published online 27 July 2015], Nature Physics published a paper on 27th July, 2015 quark coupling strength $|V_{ub}|$ using baryonic decays. The experiments done by LHCb collaboration. The relative numbers in the form of a particle keeping relation between two particles thus decaying to other form which obeying the principles of couple system. Moreover, the equation of relative numbers is able to find the number of cells of brain and other parts of a body.

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INTRODUCTION

Problem (2):

When, $(r + M)^5 \rightarrow r^5 + 5r(r^3 + 2r^2 + 2r + 1) + 1^5$, then, $R = r^3 + 2r^2 + 2r + 1$, if A, B, C, D represents the corresponding values of $r^3, 2r^2, 2r, 1$ (Since, these are the real values of $(r + 1)^5$) respectively. Then, R will relate in Couple Systems as follows:



$$R \rightarrow (D^- \cdot 2r + 1 \cdot C) + (C^+ \cdot 2r^2 + 2r^+ \cdot B) + (B^- \cdot 2r^3 + 2r^- \cdot A)$$

$$R \rightarrow (1 \cdot 2r + 1 \cdot 2r) + (2r \cdot 2r^2 + 2r \cdot 2r^2) + (2r^2 \cdot 2r^3 + 2r^2 \cdot r^3)$$

$$R \rightarrow 1 \cdot (2r + 2r) + (2r \cdot 2r^2 - 2r \cdot 2r^2) + (2r^2 \cdot 2r^3 - 2r^2 \cdot r^3)$$

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$$R \rightarrow 4r + 0 + 0$$

$$R \rightarrow 4r$$

Therefore, $(r + 1)^5 \rightarrow r^5 + 5r.4r + 1^5 \dots\dots\dots$ (b)

If $M = 2,3,4,5 \dots\dots$ [Vide Problem (1)], then,

$$(r + 2)^5 \rightarrow r^5 + 2^7.5r.4r + 1^5$$

$$(r + 3)^5 \rightarrow r^5 + 3^7.5r.4r + 1^5$$

$$(r + 4)^5 \rightarrow r^5 + 4^7.5r.4r + 1^5$$

$$(r + 5)^5 \rightarrow r^5 + 5^7.5r.4r + 1^5$$

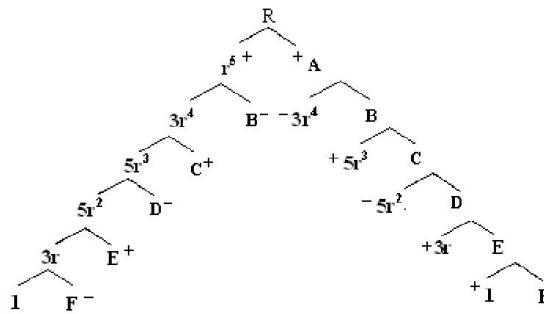
.....

$$(r + M)^5 \rightarrow r^5 + M^7.5r.4r + M^5$$

Therefore, the real formation of $(r + 1)^5$ will $r^5 + 1^7.5r.4r + 1^5$

Problem (3):

When, $(r + M)^7 \rightarrow r^7 + 7r(r^5 + 3r^4 + 5r^3 + 5r^2 + 3r + 1) + 1^7$, then, R will related to bellow as:



$$\square \circ \circ \circ R \rightarrow (F^- . 3r + 1^+. E) + (E^+ . 5r^2 + 3r^+. D) + (D^- . 5r^3 + 5r^-. C) + (C^+ . 3r^4 + 5r^{+3} . B) + (B^- . r^5 + 3r^- . A)$$

$$R \rightarrow (1.3r + 1.3r) + (3r.5r^2 + 3r.5r^-.2) + (5r^2.5r^3 + 5r^-.2.5r^3) + (5r^3. 3r^4 + 5r^3.3r^-.4) + (3r^4.r^5 + 3r^-.4.r^5)$$

$$R \rightarrow (1.3r + 1.3r) + 0 + 0 + 0 + 0 = 1.(3r + 3r) = 1 \times 6r = 6r.$$

$\square \circ \circ \circ (r + 1)^7 \rightarrow r^7 + 1^7.7r.6r + 1^7$ and if $M = 2,3,4,5 \dots\dots$, then,

$$(r + 2)^7 \rightarrow r^7 + 2^{11}.7r.6r + 2^7$$

$$(r + 3)^7 \rightarrow r^7 + 3^{11}.7r.6r + 3^7$$

$$(r + 4)^7 \rightarrow r^7 + 4^{11}.7r.6r + 4^7$$

$$(r + 5)^7 \rightarrow r^7 + 5^{11}.7r.6r + 5^7$$

.....

$$(r + M)^7 \rightarrow r^7 + M^{11}.7r.6r + M^7$$

We have seen that, the “No – 1 formation” is only for the series of odd numbers as 1,2,3,4,5, if the series increases, then the process of couple will increase.

Application of “No – 2 formation” for even number.

Problem (1):

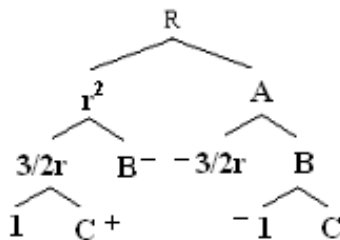
$$(r + 1)^4 \rightarrow r^4 + 4r.(r^2 + [3/2] \times r + 1) + 1^4 = r^4 + 4r.(R) + 1^4$$

$$R \rightarrow (C.[3/2] \times r + 1^-. B) + (B^-.r^2 + [3/2] \times r^-. A)$$

$$R \rightarrow (1.[3/2] \times r + 1^-. [3/2] \times r^-) + ([3/2] \times r.r^2 + [3/2] \times r^-.r^2)$$

$$R \rightarrow 2.[3/2] \times r + 0 = 3r$$

The figure is given here that in what way coupling is proceedings stage by stage.



Note:

$$(a + b)^4 = a^4 + 4a^3b + 6a^2b^2 + 4ab^3 + b^4 = a^4 + 2ab(2a^2 + 3ab + 2b^2) + b^4.$$

$$= a^4 + 4ab(a^2 + [3/2] \times ab + b^2) + b^4, \text{ when } b = 1, \text{ then,}$$

$$(a + 1)^4 = a^4 + 4a.1(a^2 + [3/2] \times a.1 + 1^2) + 1^4 = a^4 + 4a(a^2 + [3/2] \times a + 1^2) + 1^4, \text{ when, } a = r, \text{ then, } (r + 1)^4 = r^4 + 4r(r^2 + [3/2] \times r + 1^2) + 1^4 = \text{Let, } R = (r^2 + [3/2] \times r + 1^2) \text{ and so,}$$

$$(r + 1)^4 \rightarrow r^4 + 4r.(R) + 1^4 \rightarrow r^4 + 4r.([3/2] \times r) + 1^4 \text{ and } R \rightarrow [3/2] \times r = 3.r = 3r. \text{ Now we can get a series in the forms of: } (r + 1)^4 \rightarrow r^4 + 1^5.4r.3r + 1^4$$

$$\text{Similarly, } (r + 2)^4 \rightarrow r^4 + 2^5.4r.3r + 2^4$$

$$(r + 3)^4 \rightarrow r^4 + 3^5.4r.3r + 3^4$$

$$(r + 4)^4 \rightarrow r^4 + 4^5.4r.3r + 4^4$$

$$(r + 5)^4 \rightarrow r^4 + 5^5.4r.3r + 5^4$$

$$\dots\dots\dots$$

$$(r + M)^4 \rightarrow r^4 + M^5.4r.3r + M^4$$

For power 6, we get,

$$(r + 1)^6 \rightarrow r^6 + 1^9.6r.5r + 1^6$$

$$(r + 2)^6 \rightarrow r^6 + 2^9.6r.5r + 2^6$$

$$(r + 3)^6 \rightarrow r^6 + 3^9.6r.5r + 3^6$$

$$\dots\dots\dots$$

$$(r + M)^6 \rightarrow r^6 + M^9.6r.5r + M^6$$

“No – 2, formation” is only for the series of powers of (r + M), when integrates acts as a function of, 2,4,6,8 If the series increases then the process of couple increases.

Hence the series:

$$(r + M)^2 \rightarrow r^2 + M^1.2r.1r + M^2$$

$$(r + M)^3 \rightarrow r^3 + M^3.3r.2r + M^3$$

$$(r + M)^4 \rightarrow r^4 + M^5.4r.3r + M^4$$

$$(r + M)^5 \rightarrow r^5 + M^7.5r.4r + M^5$$

$$(r + M)^6 \rightarrow r^6 + M^9.6r.5r + M^6$$

$$(r + M)^7 \rightarrow r^7 + M^{11}.7r.6r + M^7$$

$$\dots\dots\dots$$

$$(r + M)^N \rightarrow r^N + M^{[1 + 2(N-2)]}.Nr.(N-1)r + M^N \dots (A)$$

$$(r + M)^N \rightarrow r^N + M^Z. Nr.(N-1)r + M^N \dots (B) \text{ When, } Z = [1 + 2(N-2)] \text{ \& } N = 2,3,4,\dots$$

In the case of negative functions, this equation will turn to:

$$(r - M)^N \rightarrow r^N - M^{[1 + 2(N-2)]}.Nr.(N-1)r - M^N \dots (C)$$

$$(r - M)^N \rightarrow r^N - M^Z.Nr.(N-1)r - M^N \dots (D)$$

Relative Numbers (R):

The middle part of the equation (A) or (B) and (C) or (D) is same. We have the Relative number as [Nr.(N – 1)r] which connected to $M^{[1 + 2(N-2)]}$ or M^Z , when $Z = [1 + 2(N-2)]$ of $(r + M)^N$ or $(r - M)^N$. so, we may write the general equation in the form of:

$$(r \pm M)^N \rightarrow r^N \pm M^{[1 + 2(N-2)]}.Nr.(N-1)r \pm M^N \dots (E)$$

$$\text{And middle part of this equation is } M^{[1 + 2(N-2)]}.Nr.(N-1)r \dots (F)$$

When, N = 1, 2, 3, 4, 5 we get relative numbers 1r, 2r, 3r, 4r, 5r etc both of even and odd numbers. The equation (A) obtained by the couple system and is applicable in forming relative numbers with respect to Z of which numbers become odd in series, when N = 2, 3, 4, 5of the equation, $M^{[1 + 2(N-2)]}.Nr.(N-1)r$. On changing the number of Z as $Z = [2 + 2(N-2)]$, we get,

$$M^{[2 + 2(N-2)]}.Nr.(N-1)r \rightarrow M^2. 2r.1r, \text{ when } N = 2$$

$$M^{[2 + 2(N-2)]}.Nr.(N-1)r \rightarrow M^4. 3r.2r, \text{ when } N = 3, \text{ where, } (r + M)^3 \rightarrow M^3.3r.2r, \text{ when, } N = 3, \text{ due to change of } Z, \text{ power changes as:}$$

When, Z = [1 + 2(N – 2)], Z = - 3, when, N = 0 (not satisfying).

Z = [1 + 2(N – 2)], Z = - 1, when, N = 1 (not satisfying).

Z = [1 + 2(N – 2)], Z = 1, when, N = 2 (satisfying). It shows N > 1

If, Z = [2 + 2(N – 2)], we get,

Z = [2 + 2(N – 2)], Z = - 2, when, N = 0 (not satisfying)

$$Z = [2 + 2(N - 2)], Z = 0, \text{ when, } N = 1 \text{ (satisfying), because, } M^Z = M^0 = 1$$

$$Z = [2 + 2(N - 2)], Z = 2, \text{ when, } N = 2 \text{ (satisfying), } N > 1$$

At the time of changing of Z, let, Nr.(N - 1)r will change to Nr.(N - 2), then, we get a series as:

$$M^{[2+2(N-2)]}.Nr.(N-2)r \rightarrow M^0.0 \times r.(0-2)r = 0, \text{ when } N = 0$$

$$M^{[2+2(N-2)]}.Nr.(N-2)r \rightarrow M^{-1}.1r.(1-2)r = M^{-1} \times 1r \times -1 = -M^{-1} \text{ when } N = 1$$

$$M^{[2+2(N-2)]}.Nr.(N-2)r \rightarrow M^2.2r.0r = 0, \text{ when } N = 2$$

$$M^{[2+2(N-2)]}.Nr.(N-2)r \rightarrow M^4.3r.1r, \text{ when } N = 3 \text{ etc., } N > 2$$

When this equation turns to $M^{[2+2(N-2)]}.Nr.Nr \dots\dots(G)$, when, (N - 1)r treated as Nr, then we will get even numbers (Z) of M of the series. So,

$$M^{[2+2(N-2)]}.Nr.Nr \rightarrow M^2.2r.2r, \text{ when, } N = 2, N > 1$$

$$M^{[2+2(N-2)]}.Nr.Nr \rightarrow M^4.3r.3r, \text{ when, } N = 3$$

$$M^{[2+2(N-2)]}.Nr.Nr \rightarrow M^6.4r.4r, \text{ when, } N = 4 \text{ etc.}$$

Therefore, the deduction (F) and (G) finds,

$$M^{[1+2(N-2)]}.Nr.(N-1)r \rightarrow M^1.2r.1r, \text{ when, } N = 2, Z = 1 \text{ of power of M, odd number.}$$

$$M^{[2+2(N-2)]}.Nr.Nr \rightarrow M^2.2r.2r, \text{ when, } N = 2, Z = 2 \text{ of power of M, even number.}$$

$$M^{[1+2(N-2)]}.Nr.(N-1)r \rightarrow M^3.3r.2r, \text{ when, } N = 3, Z = 3 \text{ of power of M, odd number.}$$

$$M^{[2+2(N-2)]}.Nr.Nr \rightarrow M^4.3r.3r, \text{ when, } N = 3, Z = 4 \text{ of power of M, even number.}$$

From the above deduction, we have the following results as:

- i) When, N = 0, the equation (F) yields $M^{-3}.0r.(-1)r$
- ii) " N = 0, " (G) " $M^{-2}.0r.0r$
- iii) " N = 1, " (F) " $M^{-1}.1r.0r$
- iv) " N = 1, " (G) " $M^0.1r.1r$

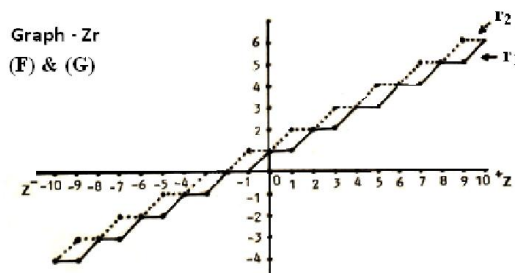
Therefore, when N has tendency to proceed in negative direction, i.e, N = -1, -2, -3, -4 then the deduction (F) & (G) will give results, the yielded values are listed here in a table (Zr) and corresponding graph - Zr.

Table (Zr)

$M^Z \times [r_2 \times r_1] \quad M^Z [x \quad -r'_2 \quad x \quad -r'_1]$
 R.H.S.(Relative No.) (Relative No.) L.H.S.

M^0	x	1	x	1					
M^1	x	2	x	1	M^{-1}	x	1	x	0
M^2	x	2	x	2	M^{-2}	x	0	x	0
M^3	x	3	x	2	M^{-3}	x	0	x	-1
M^4	x	3	x	3	M^{-4}	x	-1	x	-1
M^5	x	4	x	3	M^{-5}	x	-1	x	-2
M^6	x	4	x	4	M^{-6}	x	-2	x	-2
M^7	x	5	x	4	M^{-7}	x	-2	x	-3
M^8	x	5	x	5	M^{-8}	x	-3	x	-3
M^9	x	6	x	5	M^{-9}	x	-3	x	-4
M^{10}	x	6	x	6	M^{-10}	x	-4	x	-4
M^{11}	x	7	x	6	M^{-10}	x	-4	x	-5
M^{12}	x	7	x	7	M^{-10}	x	-5	x	-5

..... up to n numbers, but not to infinity.



If the reaction occurs by acting with M and M⁻, then M will turn to Z, thus:

- $M^1.M^{-1} \rightarrow (r_2 - r'_2), (r_1 - r'_1)$
 $\rightarrow (2 - 1), (1 - 0)$ When, $r_2, r_1 = 2, 1$ and $r'_2, r'_1 = 1, 0$
 Or, $M^0 \rightarrow 1, 1$
- $M^6.M^{-6} \rightarrow (r_2 - r'_2), (r_1 - r'_1)$
 $\rightarrow [4 - (-2)], [4 - (-2)]$ When, $r_2, r_1 = 4, 4$ and $r'_2, r'_1 = -2, -2$
 Or, $M^0 \rightarrow 6, 6$
- $M^9.M^{-9} \rightarrow (r_2 - r'_2), (r_1 - r'_1)$
 $\rightarrow [6 - (-3)], [5 - (-4)]$ When, $r_2, r_1 = 6, 5$ and $r'_2, r'_1 = -3, -4$
 Or, $M^0 \rightarrow 9, 9$

The above deductions proves that when the power of positive number of M and power of negative number of M react together, the power of M becomes zero and finally two Z number of positive number of M are obtained, i.e.,

$$M^Z.M^{-Z} \rightarrow Z, Z \text{ or } M^0 \rightarrow M^0.Z.Z \dots\dots\dots (H)$$

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Now it is possible to react $M^0.Z.Z$ with $M^Z.r_2, r_1$, and then r_2, r_1 will change at the rate of $(r_2 - 2)$ and $(r_1 - 2)$. But the rate of change of $(r_2 - 2)$ and $(r_1 - 2)$ will not be relative numbers of M^Z . The power (Z) of M should differ by 4 steps and M^Z will turn to M^{Z-4} , then for example, 87 of (Z) number will produce relative numbers to follow the equation (F) as:

$M^{[1+2(N-2)]}.Nr.(N-1)r \rightarrow M^{87}.45.44$, when $N = 45$ and correspondingly for M^0 (equation - H), $M^0.Z.Z \rightarrow M^0.87.87$, now, $M^{87}.45.44 \times M^0.87.87 \rightarrow M^{(87-0)}. (87-44).(87-45) \rightarrow M^{87}.43.42$, these are not the relative number of M87 according to equation (C), because, when, $N = 43$, then, the power of M will 83. The difference between 87 & 83 is 4, this 4 difference will come in every numbers and applicable to all cases. So, general form of this equation will:

$$M^Z.r_2, r_1 \times M^0.Z.Z \rightarrow M^{[Z-4]}.(Z - r_1). (Z - r_2) \rightarrow M^{[Z-4]}.(r_1 - 2). (r_2 - 2).$$

We observed in table - (Zr) that when $M^0.1.1$ will react with $M^4. - 1. - 1$, M will get exponent - 4 ($Z = - 4$) but without relative numbers, thus,

$$M^0_{1,1}. M^4_{-1,-1} \rightarrow M^4_{0,0}. \text{ So, } M^4_{0,0}. M^0_{Z,Z} \rightarrow M^4.Z.Z. \text{ Now } M^Z.r_2, r_1 \text{ will react with the new form,}$$

$$M^Z.r_2, r_1 \times M^4.Z.Z \rightarrow M^{[Z-4]}.(Z - r_1). (Z - r_2) \dots\dots\dots (I)$$

If we consider, that M is an element of atomic number Z, then this rule is applicable for transmutation of element from one to another. For examples:

How to form Proton, Electron and Neutron in an Atom?

Application of symbol $M^Z.[r_2, r_1]$ and $M^{-Z}[-r'_2,-r'_1]$ pertaining to relative numbers r_2 and r_1 to the concept of atomic state.

The above symbols will be able to determine the formation of protons, electrons in the following way.

According to $M^Z.M^{-Z} \rightarrow Z, Z \text{ or } M^0 \rightarrow M^0.Z.Z \dots (H)$, we observed that, this equation is in same direction, when relative numbers of $M^Z.r_2, r_1$ and $M^{-Z}[-r'_2,-r'_1]$ acts as $(r_2 - r'_2)$ and $(r_1 - r'_1)$. If relative numbers of the above problem react as $(r_2 - r'_1)$ and $(-r'_2 - r'_1)$, the number Z may treated as atomic numbers for the elements. The atom consists of same number of proton and electron. Therefore, atomic number (Z) = number of proton (Z) = number of electron (Z). So, we can represent equation (H) for atomic stage as:

$M^Z.r_2, r_1 \times M^{-Z}[-r'_2,-r'_1] \rightarrow M^{Z-Z}.[r_2 - (-r'_1)], [(-r'_2) - r_1] \rightarrow M^0.Z.Z$, here $Z = \text{proton} \ \& \ \bar{Z} = \text{electron}$. But we cannot consider M^0 , because, M^0 means 1 = number only whose has no proton and electron, in this case, we may consider M^0 as M^W , where, W = atomic mass of the element.

Then the equation,

$$M^0.Z.Z \rightarrow M^W.Z.Z$$

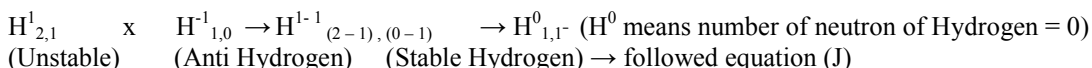
Where, \bar{Z} is indicating the opposite character of Z (atomic Number), for example, one is proton and other is electron. Every element has its own atomic weight. Therefore, if $M^W.r_2, r_1$ represents the atomic weight (W) with relative numbers r_2, r_1 , then the above process will able to produce neutron numbers from the relation of $M^W.r_2, r_1$ and $M^{-Z}[-r'_2,-r'_1]$ of same atomic number and relative number of same atomic weight (W) of element with matter and antimatter and after reaction of matter antimatter, number of proton and electron will produce.

$$M^W.r_2, r_1 \times M^{-Z}[-r'_2,-r'_1] \rightarrow M^{W-Z}.[r_2 - (-r'_1)], [(-r'_2) - r_1] \rightarrow M^n_{p,e} \dots\dots\dots (J)$$

Here, n = number of neutron (W - Z), p = proton = e = electron = Z = atomic number.

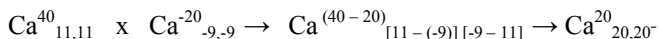
For examples:

1) Atomic weight of Hydrogen (H) = 1.0079, atomic number = 1 (odd number), relative number of Hydrogen = 2, 1, relative number of anti-element Hydrogen = 1, 0. Then,



Number of proton (p) of Hydrogen = 1 = number of electron (e⁻).

2) Atomic weight of Calcium (Ca) = 40.08, atomic number = 20 (Even number), relative number of Ca = 11, 11, relative number of anti-element Ca = -9, -9. Then,

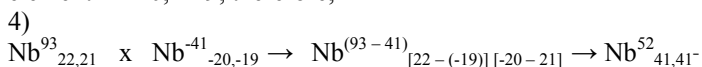


(Ca²⁰ means number of neutron of Ca = 20)

(Unstable) (Anti Calcium) m) → followed equation (J)

Number of protons of Calcium = 20 = number of electrons = number of neutrons

3) Atomic weight of Niobium (Nb) = 92.9064, atomic number = 41, relative number of Nb = 22, 21, relative number of anti-element = -20, -19, therefore,



Number of protons of Niobium = 41 = number of electrons, number of neutrons = 52

The relative numbers are listed here for all elements with number of neutrons with respect to atomic weight.

The relative numbers are also applicable to isotopic mass of elements by using same equation described above. The particles like all types of quarks will obey this law of couple system. An example is stated here for the support of principle of couple system. The couple system is applicable to decaying particles from one source to other two directions. An example given here splitting of particles in decay mode by coupling through couple system. The color code and black dots indicating the particle's position & splits to next decay position. Here we see, μ⁻, ν_μ⁻ both are negative in L.H.S. of couple shown in red box with negative of R.H.S. couple. The next step is + & + dot position of particles shown in green box.

Table. List of Elements with Atomic Numbers, Atomic weights, Relative Numbers of stable elements to follow the Equation, $M^{W-Z} \cdot [r_2 - (-r_1)] \cdot [(-r_2) - r_1] \rightarrow M_{p,e}^n$ (J).

At No	Sy mb ol	Name	Atomic Weight including isotopic mass within 1 st bracket () of the elements & corresponding relative numbers within 3 rd [] bracket. Here, Relative Numbers listed for stable elements only. For Example, $H_{2,1}^1 \times H_{1,0}^{-1} \rightarrow H_{(2-1),(0-1)}^{1-1} \rightarrow H_{1,1}^0$ (p=e=1 & n =0) for Hydrogen.	No. of Neutron Ref: [3]
1	H	Hydrogen	1.008, (2.014102), (3.016049), [2,1 anti No. 1,0]	0
2	He	Helium	4.002602(2), (3.016040), [2,2, 0,0]	2
3	Li	Lithium	6.94, (6.015122), [3,2, 0, -1]	4
4	Be	Beryllium	9.012182(3), [3, 3, -1, -1]	5
5	B	Boron	10.81, (10.012937), [4, 3, -1, -1]	6
6	C	Carbon	12.011, (13.003355), [4, 4, -2, -2]	6
7	N	Nitrogen	14.007, 15.000109), [5, 4, -2, -3]	7
8	O	Oxygen	15.999, (16.999132), (17.999160), [5, 5, -3, -3]	8
9	F	Fluorine	18.9984032(5), [6, 5, -3, -4]	10
10	Ne	Neon	20.1797(6), (20.993847), (21.991386), [6, 6, -4, -4]	10
11	Na	Sodium	22.98976928(2), [7, 6, -4, -5]	12
12	Mg	Magnesium	24.305, (24.985837), (25.982593) [7, 7, -5, -5]	12
13	Al	Aluminium	26.9815386(8), [8, 7, -5, -6]	14
14	Si	Silicon	28.085, (28.976495), [8, 8, -6, -6]	14

Continue.....

15	P	Phosphorus	30.973762(2), [9, 8, -7, -6]	16
16	S	Sulfur	32.06, (32.971458, [9, 9, -7, -7]	16
17	Cl	Chlorine	35.45, [10, 9, -7, -8]	18
18	Ar	Argon	39.948(1), (37.962732), [10, 10, -8, -8]	22
19	K	Potassium	39.0983(1), (39.963999), (40.961826), [11, 10, -8, -9]	21
20	Ca	Calcium	40.078(4), (42.958767), (43.955481), [11, 11, -9, -9]	20
21	Sc	Scandium	44.955912(6), [12, 11, -9, -10]	24
22	Ti	Titanium	47.867(1), (48.947871), [12, 12, -10, -10]	26
23	V	Vanadium	50.9415(1), (49.947163), [13, 12, -10, -11]	28
24	Cr	Chromium	51.9961(6), (52.940654), [13, 13, -11, -11]	28
25	Mn	Manganese	54.938045(5), [14, 13, -11, -12]	30
26	Fe	Iron	55.845(2), (56.935399), [14, 14, -12, -12]	30
27	Co	Cobalt	58.933195(5), [15, 14, -12, -13]	31
28	Ni	Nickel	58.6934(4), (57.935348), (59.930791), [15, 15, -13, -13]	30
29	Cu	Copper	63.546(3), (64.927794), [16, 15, -13, -14]	35
30	Zn	Zinc	65.38(2), (63.929147), (65.926037), (66.927131), [16, 16, -14, -14]	35
31	Ga	Gallium	69.723(1), (68.925581), (70.924705), [17, 16, -14, -15]	39
32	Ge	Germanium	72.630(8), (69.924250), (72.923450), [17, 17, -15, -15]	41
33	As	Arsenic	74.92160(2), [18, 17, -15, -16]	42
34	Se	Selenium	78.96(3), (77.91310), (79.916522), [18, 18, -16, -16]	45
35	Br	Bromine	79.904, (78.918338), (80.916291), [19, 18, -16, -17]	45
36	Kr	Krypton	83.798(2), (81.913485), (93.911507), (85.910610), [19, 19, -17, -17]	48
37	Rb	Rubidium	85.4678(3), (86.909183), [20, 19, -17, -18]	48
38	Sr	Strontium	87.62(1), (86.908879), [20, 20, -18, -18]	50
39	Y	Yttrium	88.90585(2), [21, 20, -18, -19]	50
40	Zr	Zirconium	91.224(2), (89.904704), (91.905040), (93.906316), [21, 21, -19, -19]	51
41	Nb	Niobium	92.90638(2), [22, 21, -19, -20]	52
42	Mo	Molybdenum	95.96(2), (91.908810), (94.905841), (97.905408), [22, 22, -20, -20]	54
43	Tc	Technetium	[97], [23, 22, -20, -21]	55
44	Ru	Ruthenium	101.07(2), (101.904350), [23, 23, -21, -21]	57
45	Rh	Rhodium	102.90550(2), [24, 23, -21, -22]	58
46	Pd	Palladium	106.42(1), (104.905084), (107.903894), [24, 24, -22, -22]	60
47	Ag	Silver	107.8682(2), (106.905093), (108.904756), [25, 24, -22, -23]	61
48	Cd	Cadmium	112.411(8), (109.903008), (110.904182), [25, 25, -23, -23]	64
15	P	Phosphorus	30.973762(2), [9, 8, -7, -6]	16
16	S	Sulfur	32.06, (32.971458, [9, 9, -7, -7]	16
17	Cl	Chlorine	35.45, [10, 9, -7, -8]	18
18	Ar	Argon	39.948(1), (37.962732), [10, 10, -8, -8]	22
19	K	Potassium	39.0983(1), (39.963999), (40.961826), [11, 10, -8, -9]	21
20	Ca	Calcium	40.078(4), (42.958767), (43.955481), [11, 11, -9, -9]	20
21	Sc	Scandium	44.955912(6), [12, 11, -9, -10]	24
22	Ti	Titanium	47.867(1), (48.947871), [12, 12, -10, -10]	26
23	V	Vanadium	50.9415(1), (49.947163), [13, 12, -10, -11]	28
24	Cr	Chromium	51.9961(6), (52.940654), [13, 13, -11, -11]	28
25	Mn	Manganese	54.938045(5), [14, 13, -11, -12]	30
26	Fe	Iron	55.845(2), (56.935399), [14, 14, -12, -12]	30
27	Co	Cobalt	58.933195(5), [15, 14, -12, -13]	31
28	Ni	Nickel	58.6934(4), (57.935348), (59.930791), [15, 15, -13, -13]	30
29	Cu	Copper	63.546(3), (64.927794), [16, 15, -13, -14]	35
30	Zn	Zinc	65.38(2), (63.929147), (65.926037), (66.927131), [16, 16, -14, -14]	35

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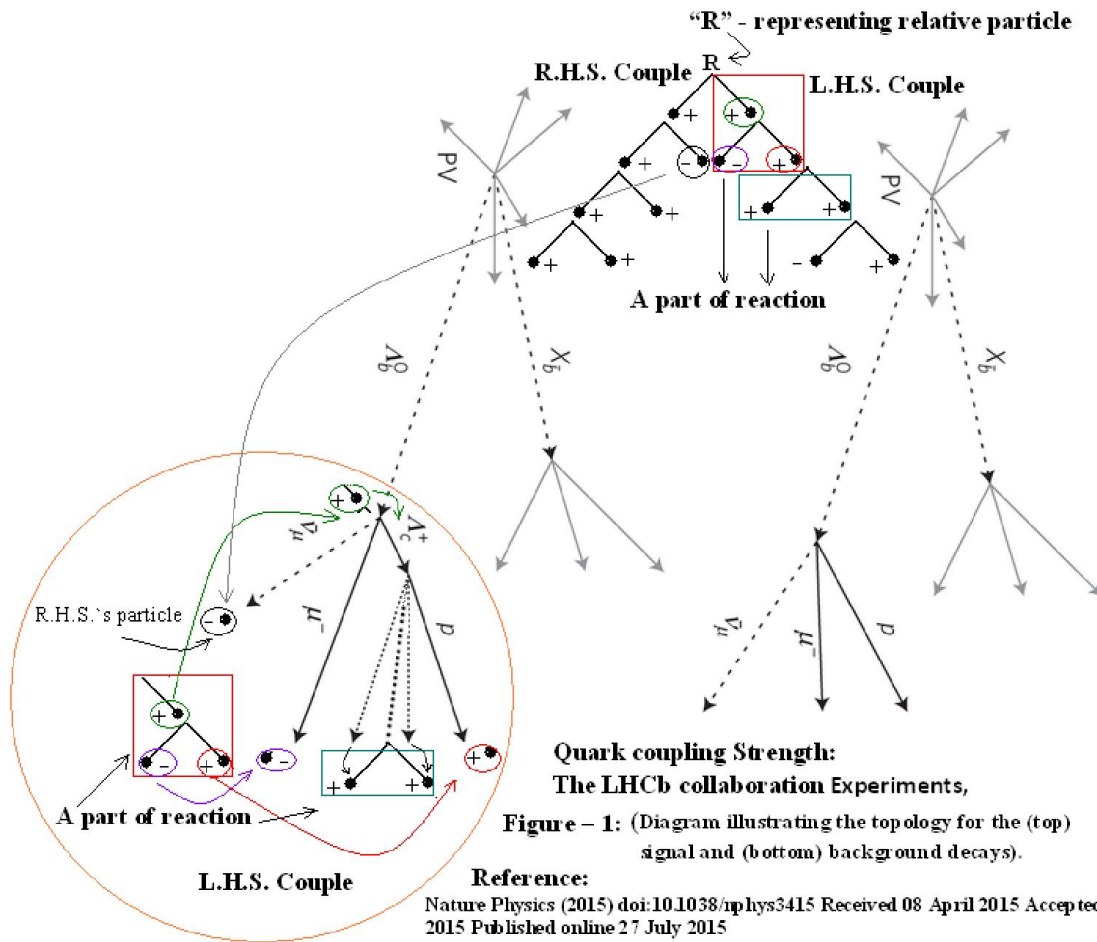
31	Ga	Gallium	69.723(1), (68.925581), (70.924705), [17, 16, -14, -15]	39
32	Ge	Germanium	72.630(8), (69.924250), (72.923450), [17, 17, -15, -15]	41
33	As	Arsenic	74.92160(2), [18, 17, -15, -16]	42
34	Se	Selenium	78.96(3), (77.91310), (79.916522), [18, 18, -16, -16]	45
35	Br	Bromine	79.904, (78.918338), (80.916291), [19, 18, -16, -17]	45
36	Kr	Krypton	83.798(2), (81.913485), (93.911507), (85.910610), [19, 19, -17, -17]	48
37	Rb	Rubidium	85.4678(3), (86.909183), [20, 19, -17, -18]	48
38	Sr	Strontium	87.62(1), (86.908879), [20, 20, -18, -18]	50
39	Y	Yttrium	88.90585(2), [21, 20, -18, -19]	50
40	Zr	Zirconium	91.224(2), (89.904704), (91.905040), (93.906316), [21, 21, -19, -19]	51
41	Nb	Niobium	92.90638(2), [22, 21, -19, -20]	52
42	Mo	Molybdenum	95.96(2), (91.908810), (94.905841), (97.905408), [22, 22, -20, -20]	54
43	Tc	Technetium	[97], [23, 22, -20, -21]	55
44	Ru	Ruthenium	101.07(2), (101.904350), [23, 23, -21, -21]	57
45	Rh	Rhodium	102.90550(2), [24, 23, -21, -22]	58
46	Pd	Palladium	106.42(1), (104.905084), (107.903894), [24, 24, -22, -22]	60
47	Ag	Silver	107.8682(2), (106.905093), (108.904756), [25, 24, -22, -23]	61
48	Cd	Cadmium	112.411(8), (109.903008), (110.904182), [25, 25, -23, -23]	64
49	In	Indium	114.818(1), (112.904061), [26, 25, -23, -24]	66
50	Sn	Tin	118.710(7), (115.901744), (117.901608), [26, 26, -24, -24]	69
51	Sb	Antimony	121.760(1), (120.903818), (122.904216), [27, 26, -24, -25]	71
52	Te	Tellurium	127.60(3), (122.904273), (125.903308), [27, 27, -25, -25]	76
53	I	Iodine	126.90447(3), [28, 27, -25, -26]	74
54	Xe	Xenon	131.293(6), (128.904779), (130.905082), [28, 28, -26, -26]	77
55	Cs	Caesium	132.9054519(2), [29, 28, -26, -27]	78
56	Ba	Barium	137.327(7), (135.904570), (137.905241), [29, 29, -27, -27]	81
57	La	Lanthanum	138.90547(7), (137.907107), (138.906348), [30, 29, -27, -28]	82
58	Ce	Cerium	140.116(1), (141.909240), [30, 30, -28, -28]	82
59	Pr	Praseodymium	140.90765(2), [31, 30, -28, -29]	82
60	Nd	Neodymium	144.242(3), (141.907719), (144.912569), [31, 31, -29, -29]	84
61	Pm	Promethium	[145], [32, 31, -29, -30]	84
62	Sm	Samarium	150.36(2) (146.914893), (141.917180), [32, 32, -30, -30]	88
63	Eu	Europium	151.964(1), (150.919846), (152.921226), [33, 32, -30, -31]	89
64	Gd	Gadolinium	157.25(3), (151.919788), (155.922120), [33, 33, -31, -31]	93
65	Tb	Terbium	158.92535(2), [34, 33, -31, -32]	94
66	Dy	Dysprosium	162.500(1), (155.924278), (162.928728), [34, 34, -32, -32]	97
67	Ho	Holmium	164.93032(2), [35, 34, -32, -33]	98
68	Er	Erbium	167.259(3), (165.930290), (167.932368) [35, 35, -33, -33]	99
69	Tm	Thulium	168.93421(2), [36, 35, -33, -34]	100
70	Yb	Ytterbium	173.054(5), (171.936378), (173.938858), [36, 36, -34, -34]	103
71	Lu	Lutetium	174.9668(1), (175.942682), [37, 36, -34, -35]	104
72	Hf	Hafnium	178.49(2), (173.940040), (178.945815), [37, 37, -35, -35]	106
73	Ta	Tantalum	180.94788(2), [38, 37, -35, -36]	108
74	W	Tungsten	183.84(1), (181.948206), (185.954362), [38, 38, -36, -36]	110
75	Re	Rhenium	186.207(1), (184.952956), (186.955751), [39, 38, -36, -37]	111
76	Os	Osmium	190.23(3), (191.961479), [39, 39, -37, -37]	114
77	Ir	Iridium	192.217(3), (190.960591), (192.962924) [40, 39, -37, -38]	115
78	Pt	Platinum	195.084(9), (189.959930), (193.962664), [40, 40, -38, -38]	117
79	Au	Gold	196.966569(4), [41, 40, -38, -39]	118

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80	Hg	Mercury	200.592(3), (198.968262), (199.968309), [41, 41, -39, -39]	121
81	Tl	Thallium	204.38, (202.972329), (204.974412) [42, 41, -39, -40]	123
82	Pb	Lead	207.2(1), (203.973029), (205.974449), [42, 42, -40, 40]	125
83	Bi	Bismuth	208.98040(1), [43, 42, -40, -41]	126
84	Po	Polonium	[209], [43, 43, -41, -41]	125
85	At	Astatine	[210], [44, 43, -41, -42]	125
86	Rn	Radon	[222], [44, 44, -42, -42]	136
87	Fr	Francium	[223], [45, 44, -42, -43]	136
88	Ra	Radium	[226], [45, 45, -43, -43]	138
89	Ac	Actinium	[227], [46, 45, -43, -44]	138
90	Th	Thorium	232.03806(2), [46, 46, -44, -44]	142
91	Pa	Protactinium	231.03588(2), [47, 46, -44, -45]	140
92	U	Uranium	238.02891(3), (234.040946), (235.043923), [47, 47, -45, -45]	146
93	Np	Neptunium	[237], (237.048167), [48, 47, -45, -46]	144
94	Pu	Plutonium	[244], (244.064198), [48, 48, -46, -46]	150
95	Am	Americium	[243], (243.061373), [49, 48, -46, -47]	Number of Neutron & Mass Number
96	Cm	Curium	[247], (247.070347), [49, 49, -47, -47]	151, 247
97	Bk	Berkelium	[247], (247.070299), [50, 49, -47, -48]	150, 247
98	Cf	Californium	[251], (251.079580), [50, 50, -48, -48]	153, 251
99	Es	Einsteinium	[252], (252.082972), [51, 50, -48, -49]	153, 252
100	Fm	Fermium	[257], (257.095099), [51, 51, -49, -49]	157, 257
101	Md	Mendelevium	[258], (258.098425), [52, 51, -49, -50]	157, 258
102	No	Nobelium	[259], (259.101024), [52, 52, -50, -50]	157, 259
103	Lr	Lawrencium	[262], (262.109692), [53, 52, -50, -51]	159, 262
104	Rf	Rutherfordium	[267], (263.118313), [53, 53, -51, -51]	157, 261
105	Db	Dubnium	[270], (262.011437), [54, 53, -51, -52]	N/A(157)
106	Sg	Seaborgium	[271], (266.012238), [54, 54, -52, -52]	157, 263
107	Bh	Bohrium	[270], (264.012496), [55, 54, -52, -53]	157, 264
108	Hs	Hassium	[277], (269.001341), [55, 55, -53, -53]	161, 269
109	Mt	Meitnerium	[276], (268.001388), [56, 55, -53, -54]	159, 268
110	Ds	Darmstadtium	[281], (272.001463), [56, 56, -54, -54]	162, 272
111	Rg	Roentgenium	[282], (272.001535), [57, 56, -54, -55]	162, 273
112	Cn	Copernicium	[285], [57, 57, -55, -55]	165, 277
113	Uut	Ununtrium	[285], [284*], [58, 57, -55, -56] [*Ref. http://www.chem.qmul.ac.uk/iupac/AtWt/table.html , by G.P.Moss]	173, 286
114	Fl	Flerovium	[289], (289), [58, 58, -56, -56]	175, 289
115	Uup	Ununpentium	[289], [288*], [59, 58, -56, -57] [*Ref. http://www.chem.qmul.ac.uk/iupac/AtWt/table.html by G.P.Moss]	173, 288
116	Lv	Livermorium	[293], 293, (289), [59, 59, -57, -57]	176, 292
117	Uus	Ununseptium	[294], [294*], [60, 59, -57, -58] [*Ref. http://www.chem.qmul.ac.uk/iupac/AtWt/table.html , by G.P.Moss]	175, 292
118	Uuo	Ununoctium	[294], [60, 60, -58, -58]	175, 293

The A_c^+ particle tends to p particle in + direction shown in a part of reaction in L.H.S. couple from the position of A_b^0 particle which maintained a relation to relative particles as "Relative Number" in couple system. Thus all particles are related to each other. At the time of splitting, the particles obeying the principle of couple system shown here in this figure as "A part of reaction".

On the other hand, the particle, X_b also proceeding to next path from the original point PV and producing a couple format indicated by arrow sign. In between two diagram of LHCb, the Couple Figure shown as dot mark with + & - sign. The 27th July, 2015 Experimental figure of LHCb described as "quark coupling strength $|V_{ub}|$ using baryonic decays"[4]. Therefore, it proves that the property of couple system is meaningful and it require more searching to progress in front to find more unknown phenomena.



Conclusion

In this way it is possible to determine the number of protons, electrons, neutrons of any element by using relative numbers. This is very interesting that it shows the relation between particle to particle in simple way and also indicating that in what way matters created with changing its characteristics. The relative numbers keep relation in forming Hydrogen to all elements stage by stage. This idea is completely new and covering traditional experimental views perfectly. If we search more, we can get lot of information about the birth of the universe. When the scientists will search for the real cause of birth of the universe, then this new theory may give perfect way of light in this field.

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